## AQA Computer Science A-Level 4.3.1 Graph-traversal Past Paper Questions

## Specimen Paper 1

The Cat transportation company (CTC) is a business that specialises in preparing cats for cat shows.

They need to take five cats to the AQA cat show. They will transport the cats in their van. CTC owns only one van.

They cannot put all the cats in their van at the same time because some of the cats get stressed when in the company of some of the other cats. The cats would not therefore arrive in top condition for the cat show if they were all in the van at the same time.

The graph in Figure 3 shows the relationships between the five cats (labelled 1 to 5 ). If there is an edge between two cats in the graph then they cannot travel in the van together at the same time.

## Figure 3



Figure 4 shows an algorithm, written in pseudo-code, that CTC use.

Figure 4

```
NoofCats }\leftarrow
Cat[1]}\leftarrow
FOR A}\leftarrow2 TO NoOfCat
    B}\leftarrow
    C}\leftarrow
    WHILE B < A DO
        IF M[A, B] =1
            THEN
            IF Cat[B] = C
                    THEN
                    B}\leftarrow
                    C}\leftarrowC+
                    ELSE B}\leftarrow\textrm{B}+
            ENDIF
            ELSE B \leftarrow B + 1
            ENDIF
    ENDWHILE
    Cat[A]}\leftarrow
ENDFOR
```

The two-dimensional array, M , is used to store the adjacency matrix shown in Table 4.

Table 4 shows how the graph in Figure $\mathbf{3}$ can be represented as an adjacency matrix.

## Table 4

| Vertex (in Figure 3) | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{1}$ | 0 | 1 | 1 | 0 | 0 |
| $\mathbf{2}$ | 1 | 0 | 1 | 1 | 0 |
| $\mathbf{3}$ | 1 | 1 | 0 | 0 | 1 |
| $\mathbf{4}$ | 0 | 1 | 0 | 0 | 0 |
| $\mathbf{5}$ | 0 | 0 | 1 | 0 | 0 |


| 0 | 3 | 4 |
| :--- | :--- | :--- |

Copy your answer in Table 5 into the Electronic Answer Document.

## Table 5

| NoOfCats | A | B | C | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
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| 0 | 3 | 5 | Explain the purpose of the algorithm in Figure 4. |
| :--- | :--- | :--- | :--- |

